## Air Express

input file: express.in
Fly It Today! (FIT), an air express company, charges different amounts for packages depending on their weight. For example, one set of rates may be:

Package weight Cost per pound

| 0 to 9 pounds | $\$ 10$ |
| :--- | ---: |
| 10 to 49 pounds | $\$ 5$ |
| 50 to 99 pounds | $\$ 3$ |
| 100 pounds or more | $\$ 2$ |

This rate structure has upset some customers who have realized that it costs less to ship a 10 pound package $(\$ 50)$ than an 8 pound package $(\$ 80)$ and it costs less to ship a 100 pound package (\$200) than a 90 pound one (\$270). FIT wants to check packages to determine if the customer can pay a lower price by adding weight to the package. If this is the case, they want to know the minimum weight to be added to obtain the lowest price possible.

## Input

The input file will have one or more data sets. Each data set begins with exactly 4 lines, giving the shipping rates. These will be:

| weight $_{1}$ | rate $_{1}$ |
| :--- | :--- |
| weight $_{2}$ | rate $_{2}$ |
| weight $_{3}$ | rate $_{3}$ |
| rate $_{4}$ |  |

You may assume all of these values are positive integers less than 1001 and weight $_{1}<$ weight $_{2}<$ weight $_{3}$. The values represent the rate table below:

| Weight range | Rate |
| :--- | :--- |
| $0 \rightarrow$ weight $_{1}$ | rate $_{1}$ |
| weight $_{1}+1 \rightarrow$ weight $_{2}$ | rate $_{2}$ |
| weight $_{2}+1 \rightarrow$ weight $_{3}$ | rate $_{3}$ |
| weight $_{3}+1 \rightarrow 1000$ | rate $_{4}$ |

There will then be 1 or more lines of customer package sizes. Each of these will be a positive integer less than 1001. The end of customer package sizes is indicated by the single integer 0 .

The end of input will be indicated by end of file.

## Output

For each input set, print the input set number. Then, for each of the customer package sizes in the input set, create a line of output formatted as follows:

Weight (<w>) has best price $\$<$ price> (add <p> pounds)
Where $\langle\mathrm{w}>$ is the weight of the customer package, as defined in the input set, <price> is the lowest price the customer can pay to send that package (with, optionally, added weight) based on the input set shipping rates, and $<\mathrm{p}>$ is the number of pounds to be added to the package to obtain the price ( $<\mathrm{p}>$ must be greater than or equal to 0 ). If more than one different weight results in the best possible price, use the smaller weight.

Have a blank line after the output for each input set.

## Sample input

```
9 10
```

495
993
2
8
10
90
100
200
0
1010
2020
3030
100
1
12
29
50
0

## Sample output (corresponding to sample input)

```
Set number 1:
Weight (8) has best price $50 (add 2 pounds)
Weight (10) has best price $50 (add 0 pounds)
Weight (90) has best price $200 (add 10 pounds)
Weight (100) has best price $200 (add 0 pounds)
Weight (200) has best price $400 (add O pounds)
Set number 2:
Weight (1) has best price $10 (add 0 pounds)
Weight (12) has best price $240 (add 0 pounds)
Weight (29) has best price $870 (add 0 pounds)
Weight (50) has best price $5000 (add 0 pounds)
```

